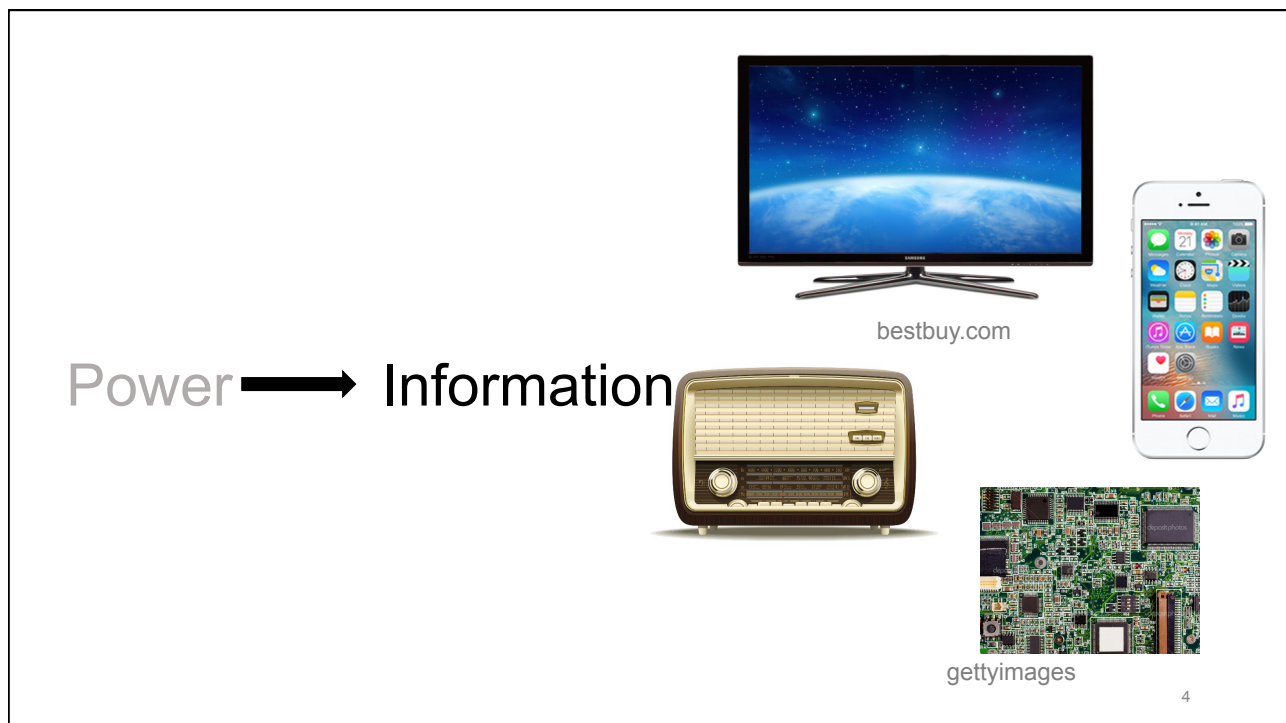
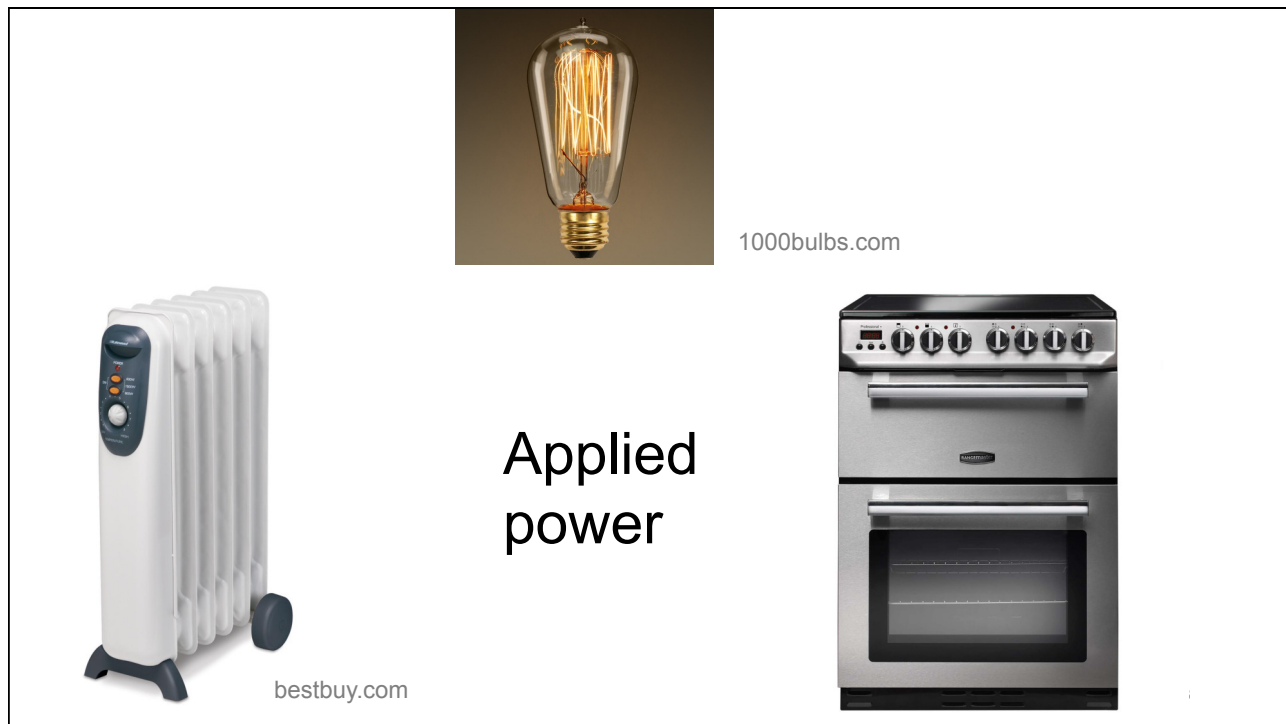


“A CPU is literally just a rock
we tricked into *thinking*”

@daisyowl

James Wu
University of Washington
Institute of Neuroengineering

So what is thinking?



Power → Information

How did this happen?

5

Power → Information

How did this happen?

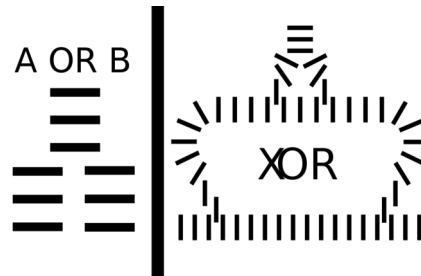
Repeating the same motif

New materials, methods → New ways of doing old things

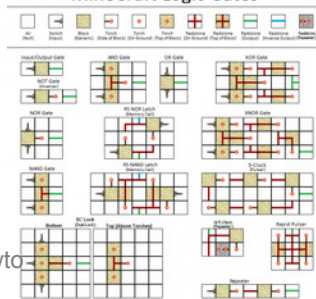
6



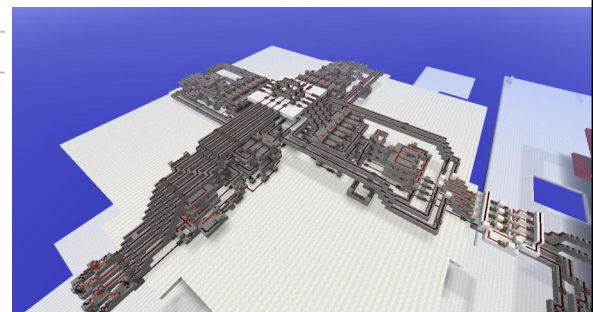
Youtube Lisa Chan Brown



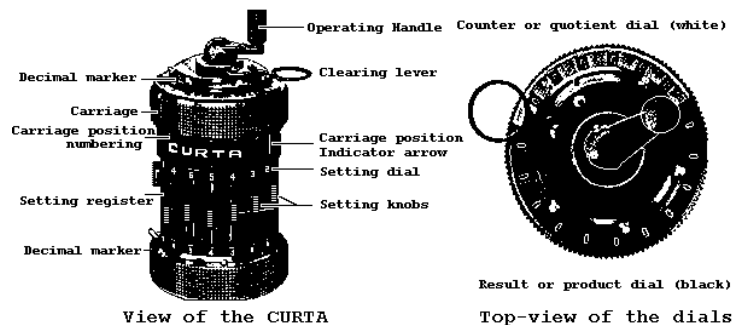
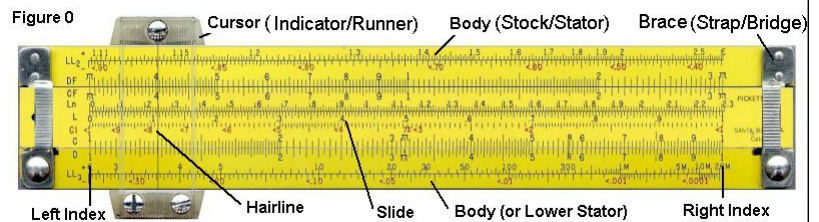
MineCraft Logic Gates



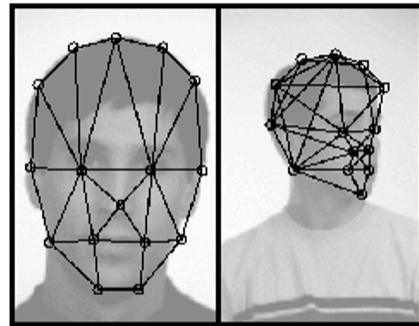
Minecraft wonderhowto



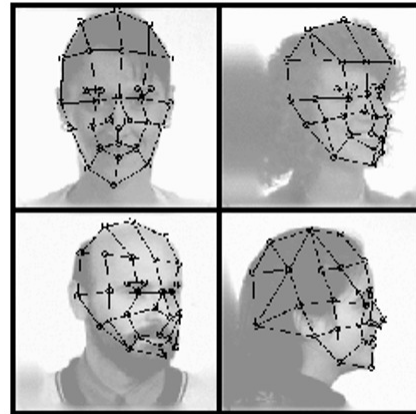
Marble computers



Matthias Wandal



grids for face finding



grids for face recognition

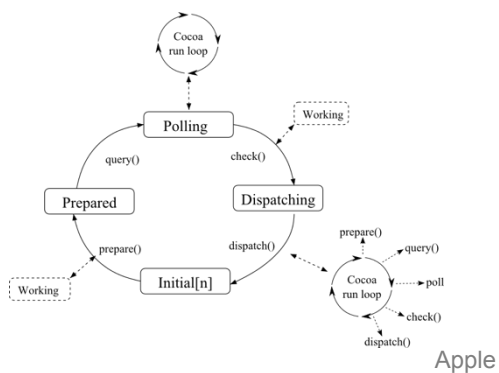
extremetech

9

An Alien Architecture

Silicon:

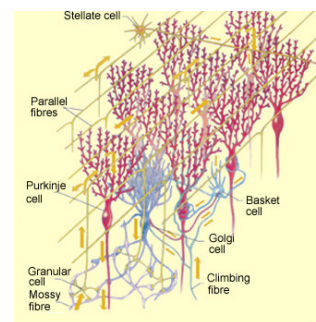
Simple operations, instantaneous results:
sequential architecture



Apple

Neurons:

Complex operations, slow results:
tremendously parallel architecture



Research

Huge performance difference



Daniel Leidner and Alexander Dietrich
<https://www.youtube.com/watch?v=jglwgcZ8iaM>



<https://www.youtube.com/watch?v=usAWvTKpIIs>

11

Research

Moravec's Theorem

"...it is comparatively easy to make computers exhibit adult level performance on intelligence tests or playing checkers, and difficult or impossible to give them the skills of a one-year-old when it comes to perception and mobility."

Hans Moravec, Carnegie Mellon, 1980s



Hans Moravec, Carnegie Mellon 1995

12

Research

Why does it matter?

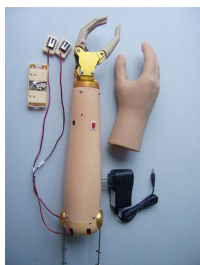
Amputation affects:

2 million patients (USA)
paralysis

Standard of care:

poorly-controlled prosthetics

University of Alberta



5 million with some

Origin Instruments

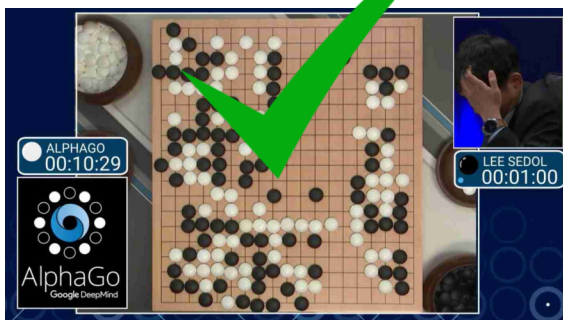


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Research

The hard problem:

Done



Not done



iStockPhoto

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Research

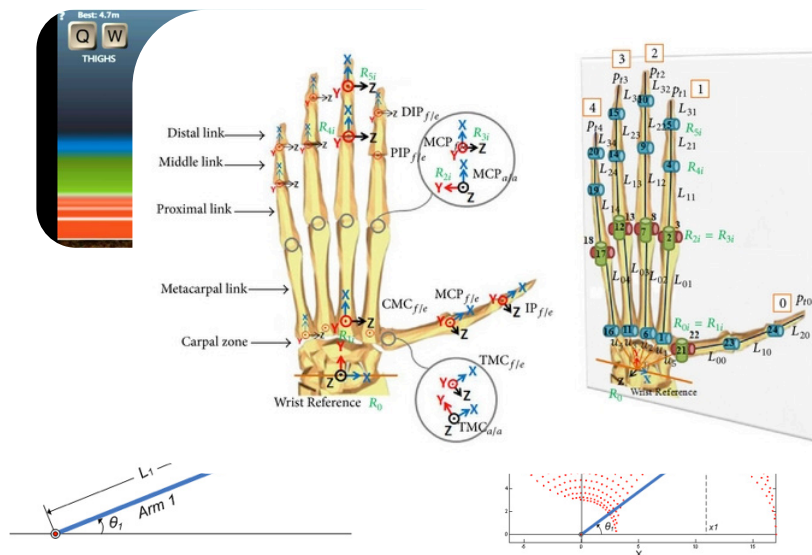
Split Hook



Sean McHugh, Youtube

15

The Control Problem



QWOP, Mathworks

Augmenting humans isn't new



Ancient
Egypt



1500s
Europe



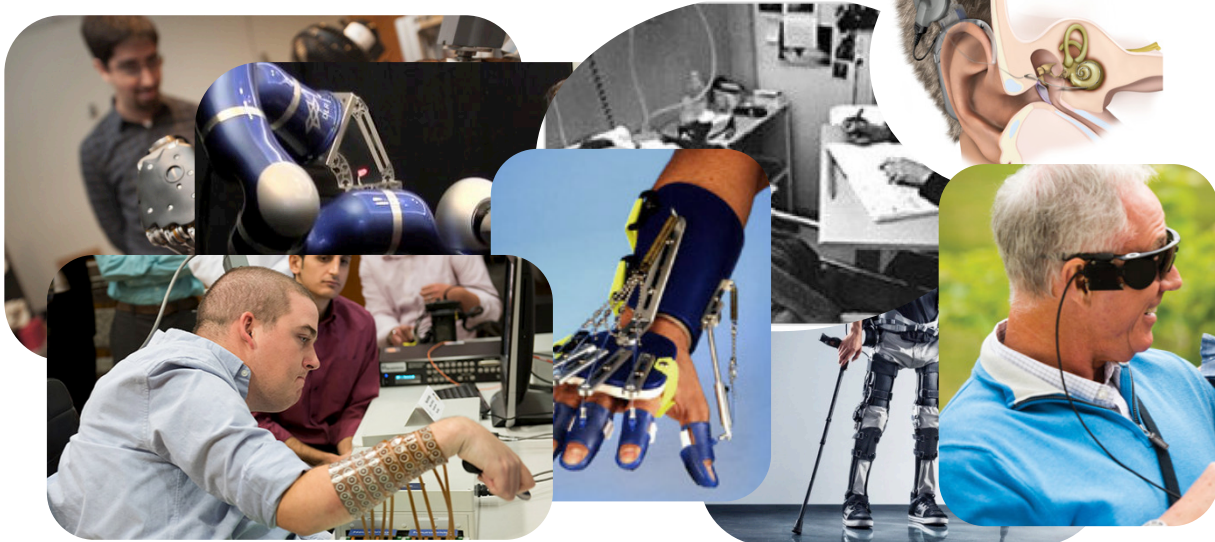
Victorian England
Ear trumpet (1700s)



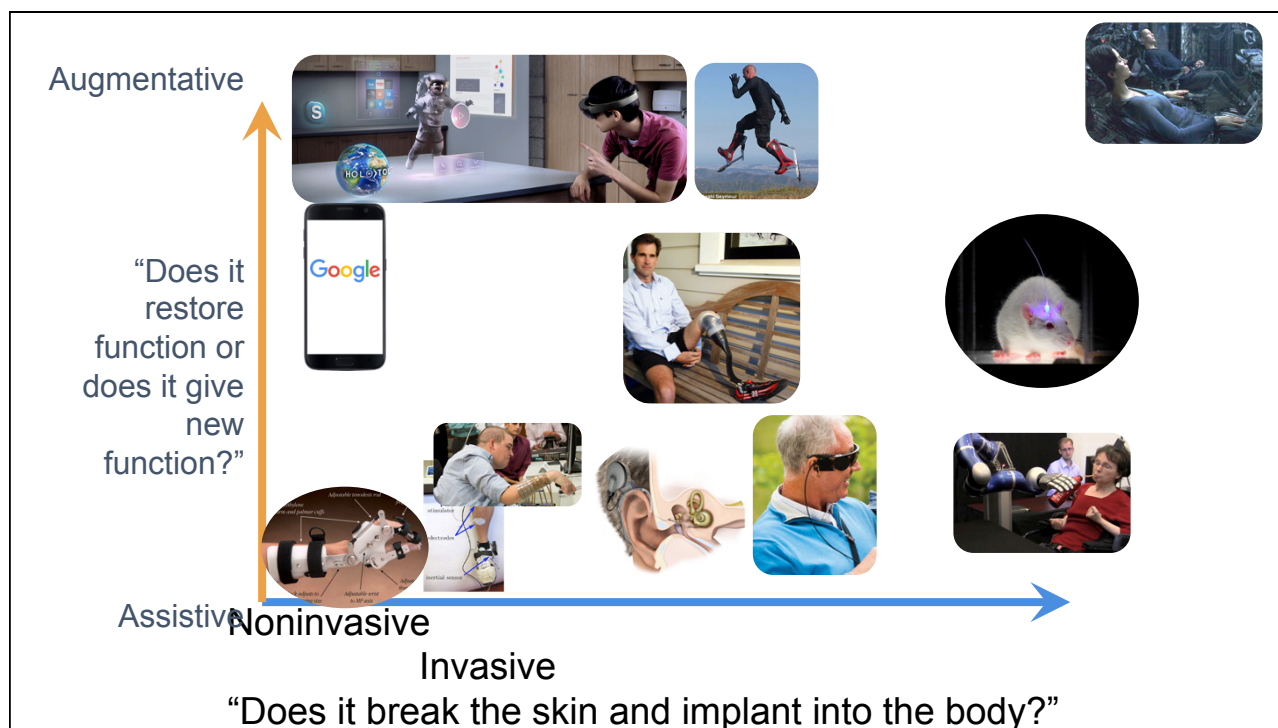
Civil War



Why do we even want to build a cyborg?

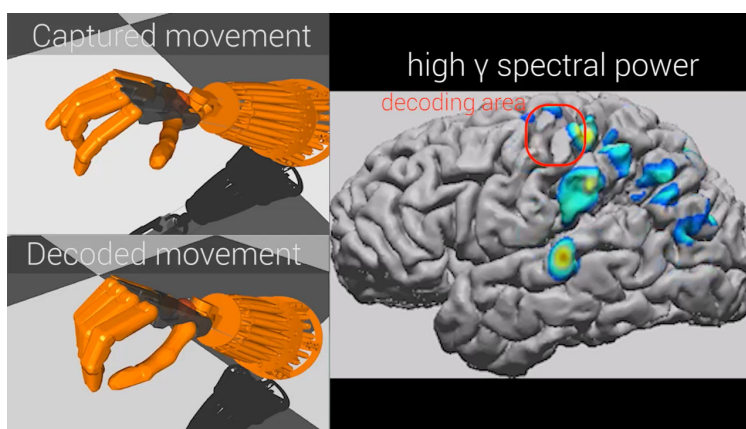


Penn State, Ohio State, Brown U, University of Pittsburgh, Jean-Dominique Bauby, Med-El, Second



Research

Electrocorticography



What have we accomplished?

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Research

State of the Art

Current:

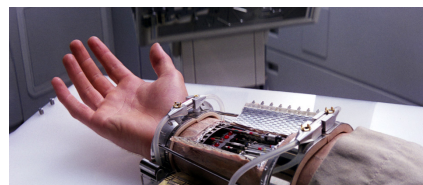
Switch-controlled low-dexterity prosthetic



DEKA Research

Future:

Volitionally-controlled dexterous prosthetic

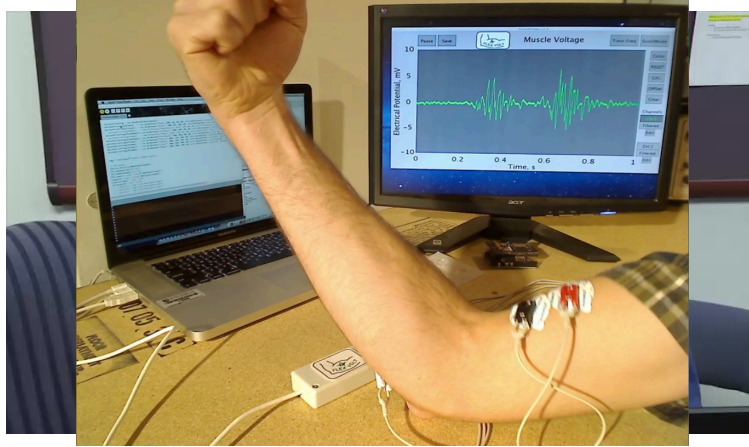


Star Wars Empire Strikes Back® LucasArts™

22

Research

Electromyography

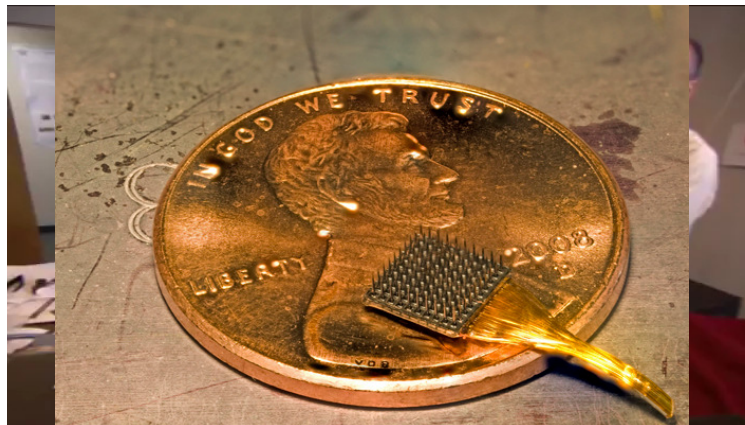


DARPA Revolutionizing Prosthetics
Flexion Sensors

23

Research

Utah Array

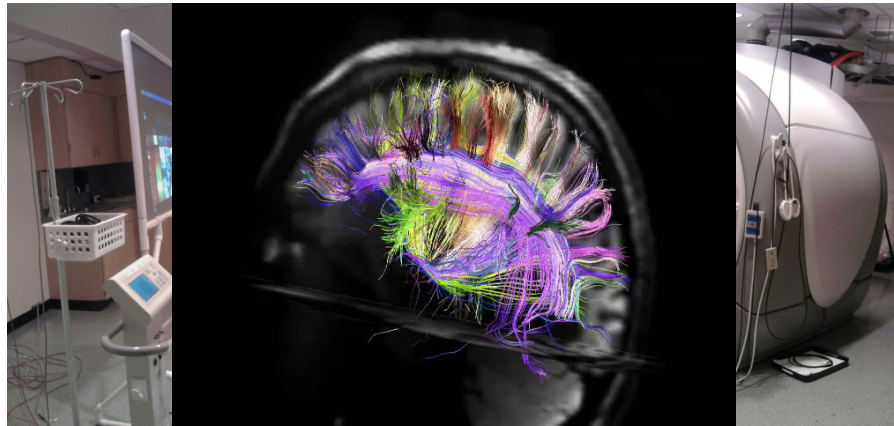


University of Pittsburgh School of Medicine
Black Pitch Microsensors

24

Research

Tractography

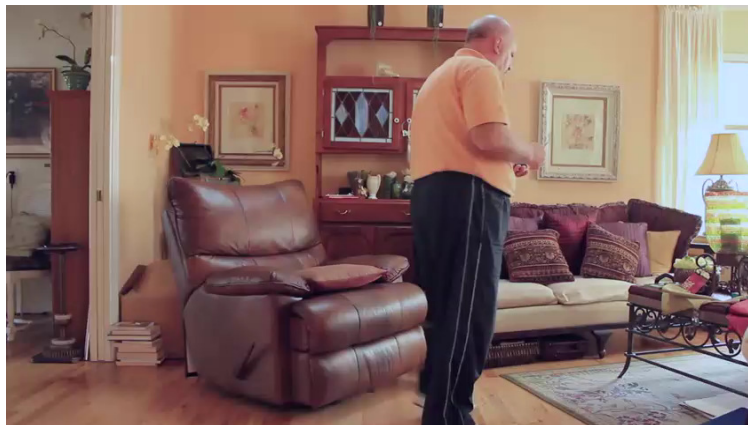


Massachusetts General Hospital

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Research

Deep Brain Stimulation



National Institutes of Mental Health

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But...

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Research

Where is the problem?

Signal capture

electronic noise
coupled interference
spatial resolution
temporal resolution
coverage

Signal processing

frequency resolution
time resolution

Feature extraction

event aggregation
phase mixing
spatial overlap

Model building

lacking mechanism
lacking coordinate space
lacking analytical solution

Everywhere.

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30



31

- Kick for $d > 50$ mm

$$W_K = c_K (\ln(d_A) - \ln(d_E))$$
- Bond^[2] for $50 \text{ mm} > d > 0.05 \text{ mm}$

$$W_B = c_B \left(\frac{1}{\sqrt{d_E}} - \frac{1}{\sqrt{d_A}} \right)$$
- Von Rittinger for $d < 0.05 \text{ mm}$

$$W_R = c_R \left(\frac{1}{d_E} - \frac{1}{d_A} \right)$$

with W as grinding work in kJ/kg, c as grinding coefficient, d_A as grain size of the so
 A reliable value for the grain sizes d_A and d_E is d_{80} . This value signifies that 80% (n
 literature. To calculate the KICK's and Rittinger's coefficients following formulas can

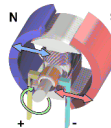
$$c_K = 1.151 c_B (d_{80})^{-0.5}$$

$$c_R = 0.5 c_B (d_{80})^{0.5}$$

 with the limits of Bond's range: upper $d_{80} = 50 \text{ mm}$ and lower $d_{80} = 0.05 \text{ mm}$.

Motif:

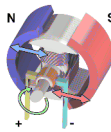
Force → Rotation → Abrasion → Fracture



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Power

Information

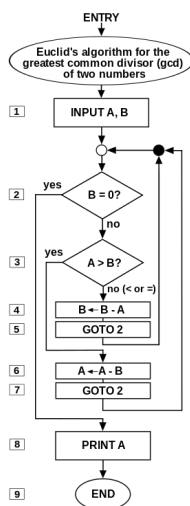


?

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Research

Because algorithms

**Karatsuba multiplication**

1. compute $x_1 \cdot y_1$, call the result A
2. compute $x_2 \cdot y_2$, call the result B
3. compute $(x_1 + x_2) \cdot (y_1 + y_2)$, call the result C
4. compute $C - A - B$, call the result K ; this number is equal to $x_1 \cdot y_2 + x_2 \cdot y_1$
5. compute $A \cdot 100 + K \cdot 10 + B$.

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Longhand

	23958233	
x	5830	
<hr/>		
	00000000	(= 23,958,233 × 0)
	71874699	(= 23,958,233 × 30)
	191665864	(= 23,958,233 × 800)
+	119791165	(= 23,958,233 × 5,000)
<hr/>		
	139676498390	(= 139,676,498,390)

Lattice Multiplication

	3	4	5	
0	3	0	0	1
		4	5	
0	0	0	1	2
		8	0	

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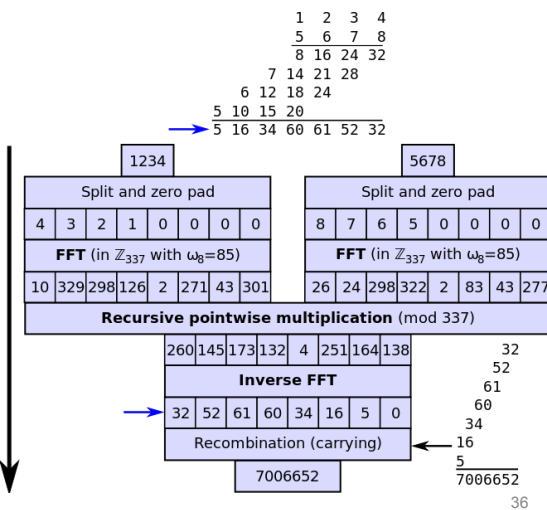
Peasant multiplication

$$\begin{aligned}
 3 \times 11 &= 3 \times (1 \times 2^0 + 1 \times 2^1 + 0 \times 2^2 + 1 \times 2^3) \\
 &= 3 \times (1 + 2 + 8) \\
 &= 3 + 6 + 24 \\
 &= 33.
 \end{aligned}$$

A more complicated example, using the figures from the earlier examples (23,958,233 and 5,830):

Decimal:	Binary:
5830 23958233	1011011000110 1011011011001001011011001
2915 47916466	101101100011 10110110110010010110110010
1457 95832932	10110110001 101101101100100101101100100
728 491665864	1011011000 1011011011001001011011001000
364 883331728	101101100 10110110110010010010110110010000
182 766663456	10110110 101101101100100100101101100100000
91 1533326912	1011011 10110110110010010110110010000000
45 3066653824	101101 101101101100100101101100100000000
22 6133307648	10110 1011011011001001011011001000000000
11 12266615296	1011 10110110110010010110110010000000000
5 24533230592	101 101101101100100101101100100000000000
2 49066461184	10 1011011011001001011011001000000000000
1 98132922368	1 10110110110010010110110010000000000000
139676498390	1022143253354444244383332432222210110 (before carry)
	10000010000101010111100011100111010110

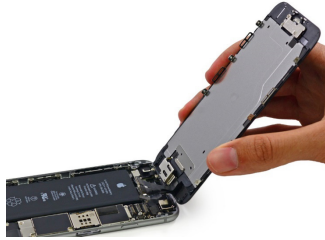
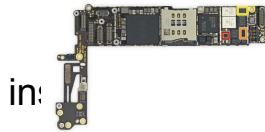
Schönhage–Strassen algorithm



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Research

What's inside?



How did they make what's

Why do they make it that way?